

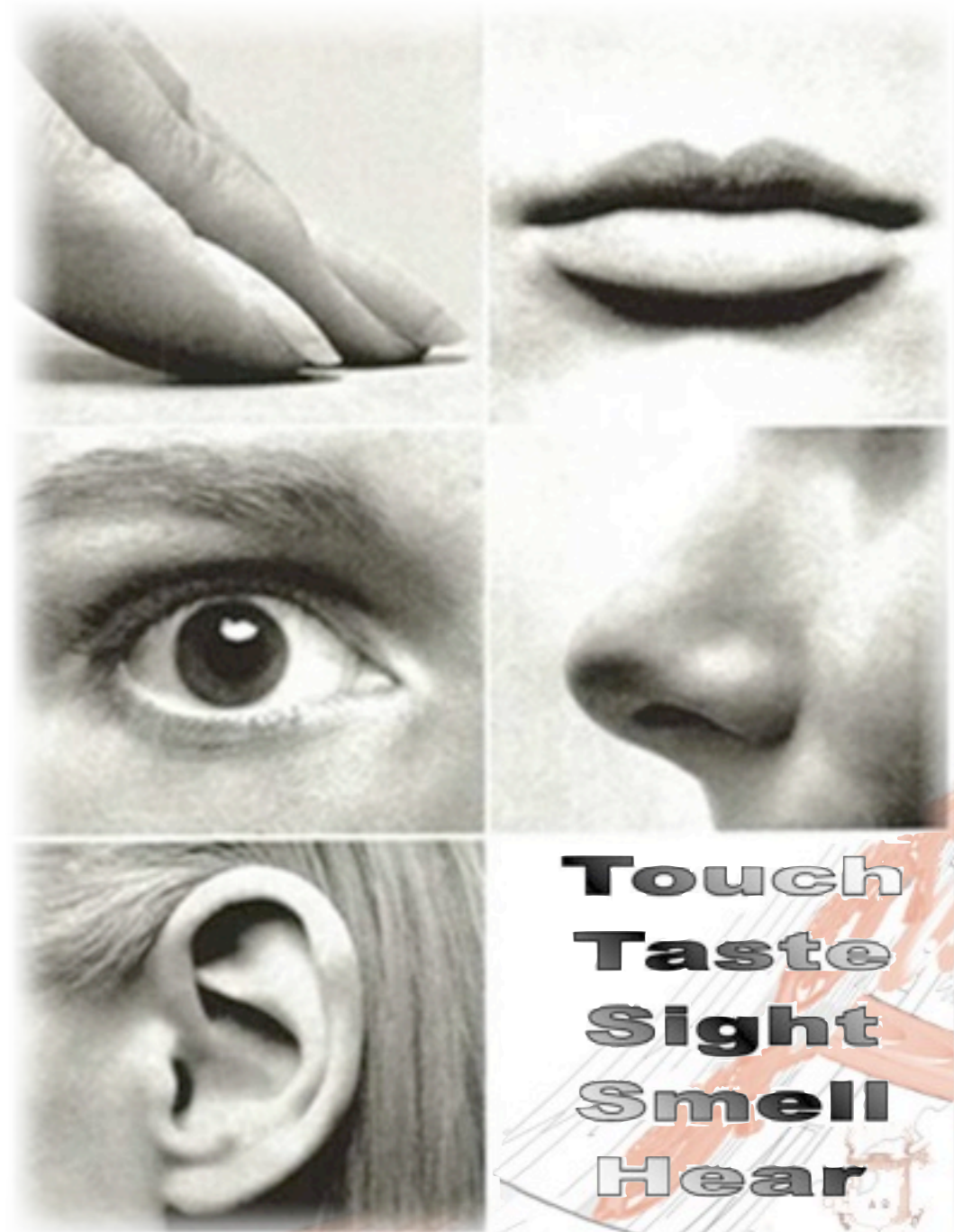


Tuning Manifold Harmonics Filters

Thomas Lewiner, Thales Vieira, Alex Bordignon, Allyson Cabral, Clarissa Marques, João Paixão, Lis Custódio, Marcos Lage, Maria Andrade, Renata Nascimento, Scarlett de Botton, Sinésio Pesco, Hélio Lopes, Vinícius Mello, Adelailson Peixoto, Dimas Martinez

PUC-Rio de Janeiro, UFAL & UFBA - Brazil

Enhancing Music



Touch
Taste
Sight
Smell
Hear



Music Clips / 3d Animation



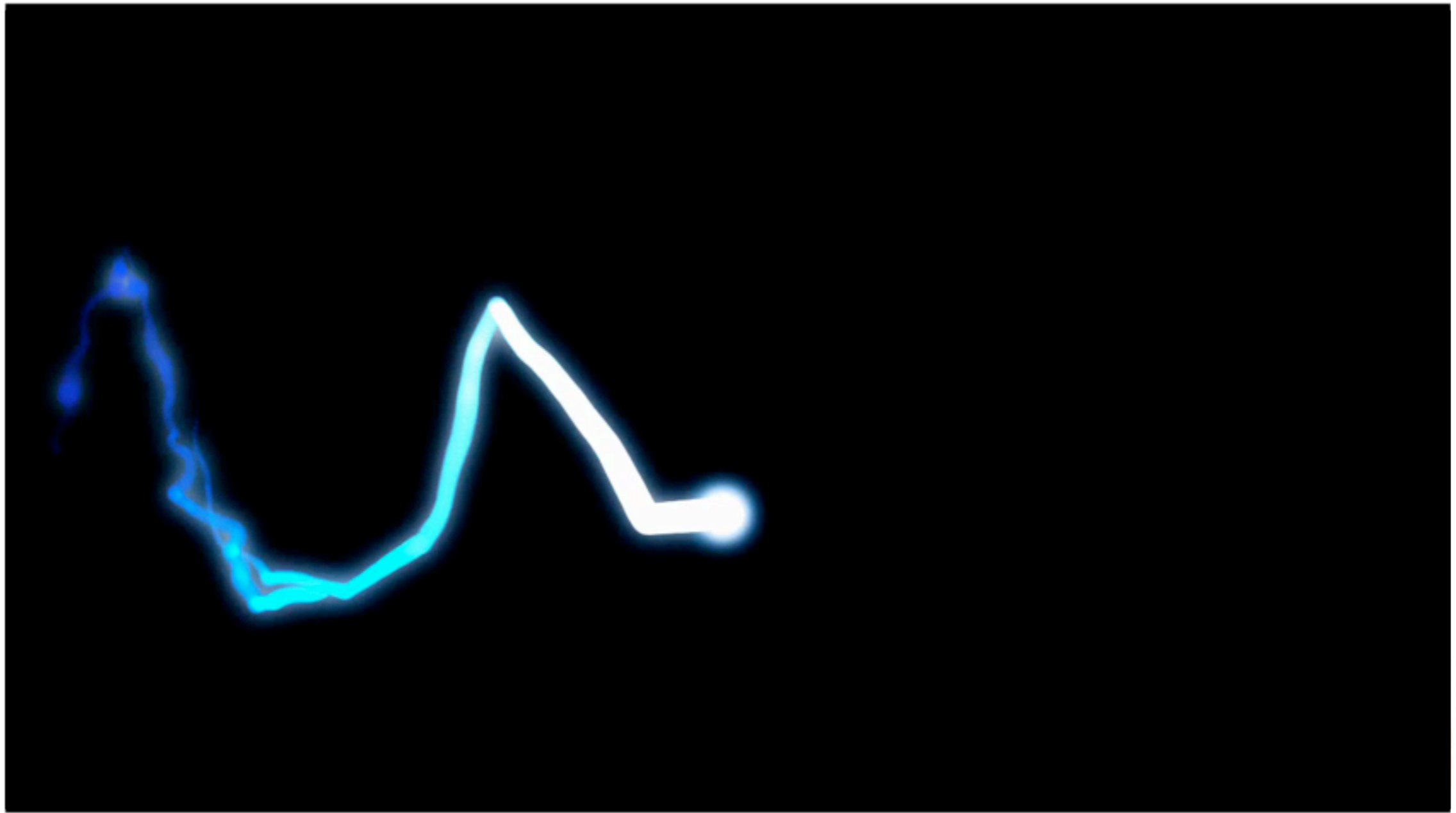
2 Rios / Skank (Vetor Zero, Sibgrapi Video Festival 2003)

Laborious Synchronization



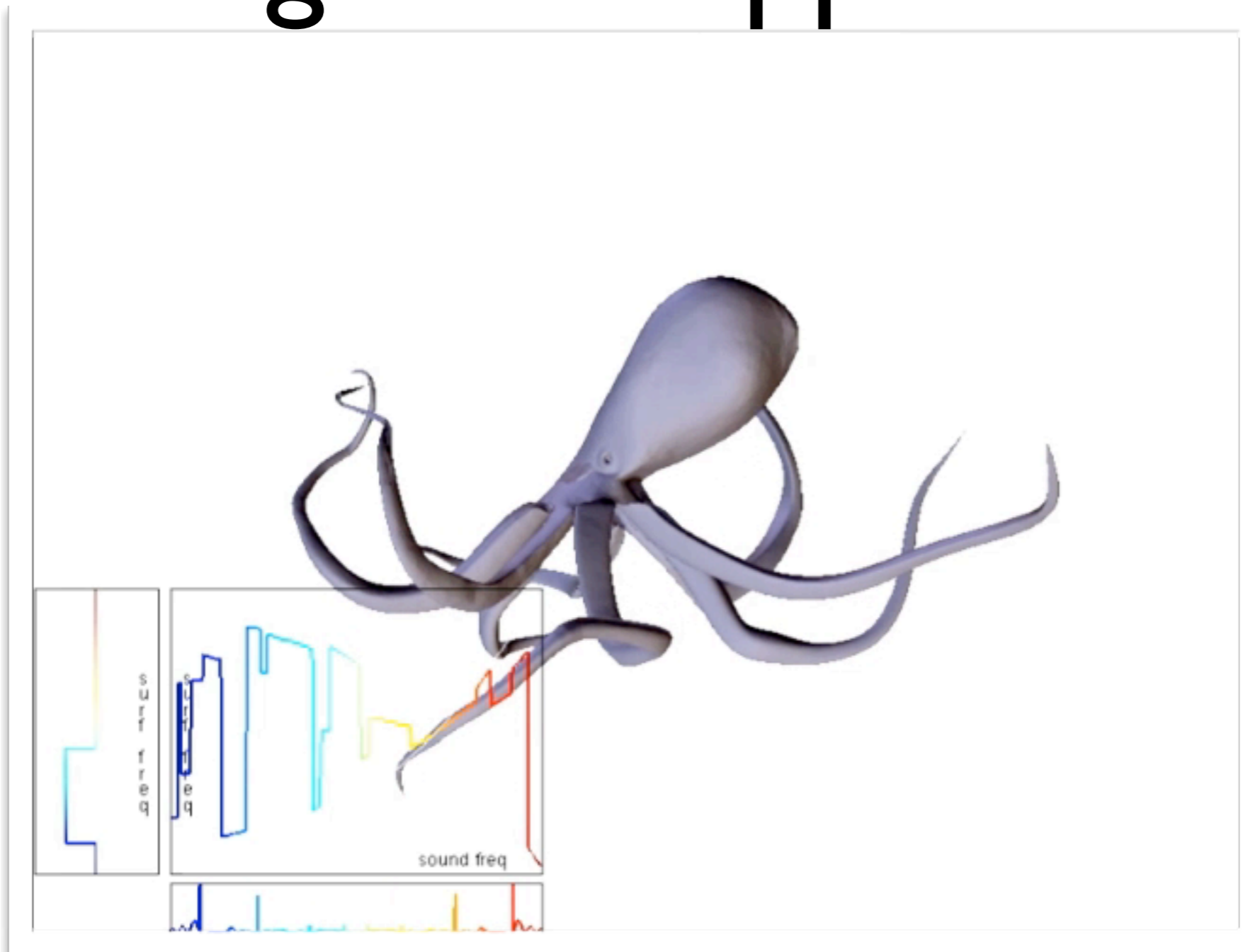
motion capture or manual synchronization

Synchronized Visualization



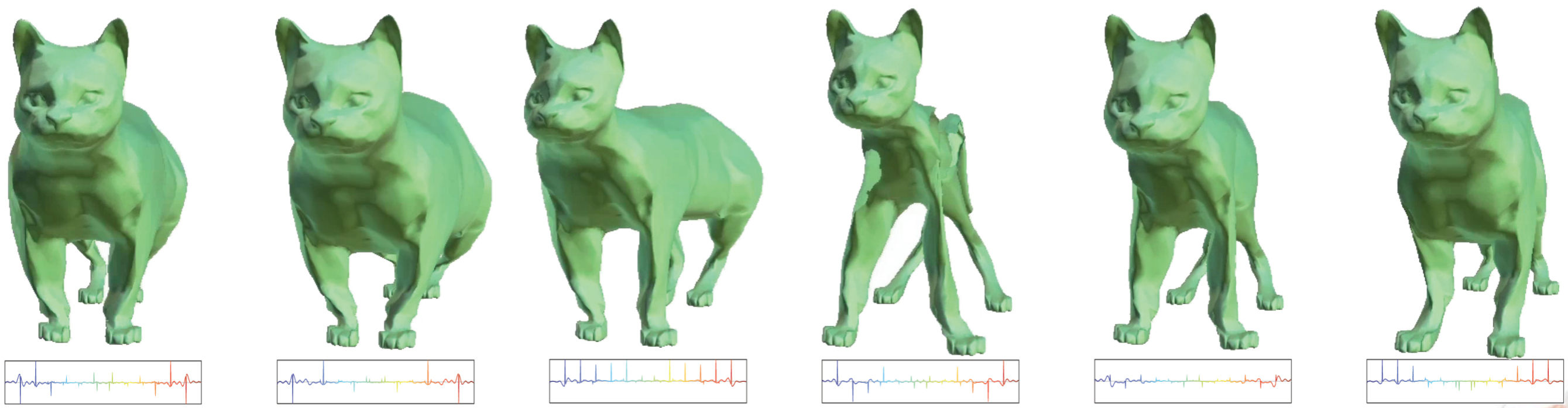
procedural shapes from sound analysis

Mixing Both Approaches



3d animations from music

Contributions

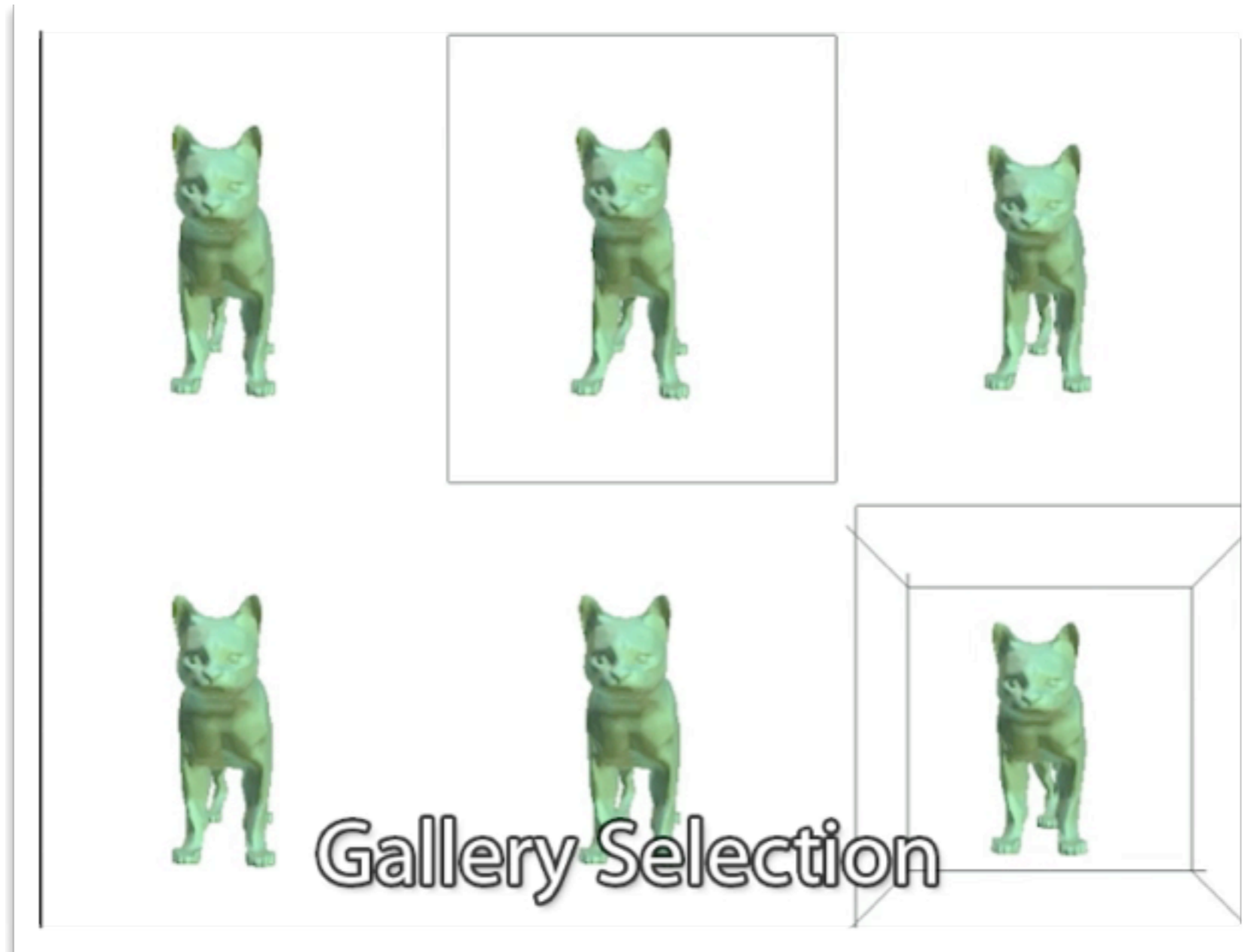


sound analysis



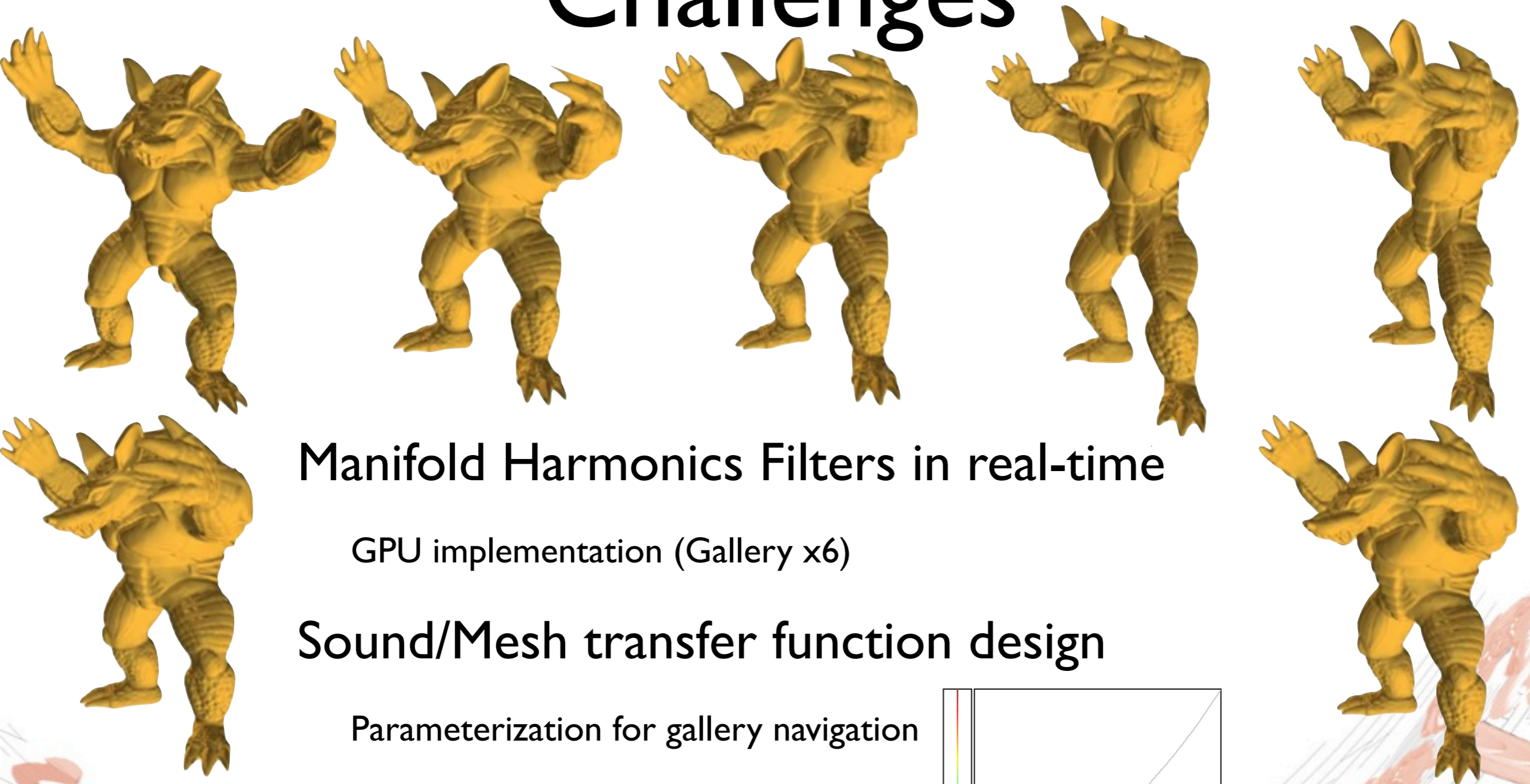
3d animation

Contributions



gallery of different effects

Challenges

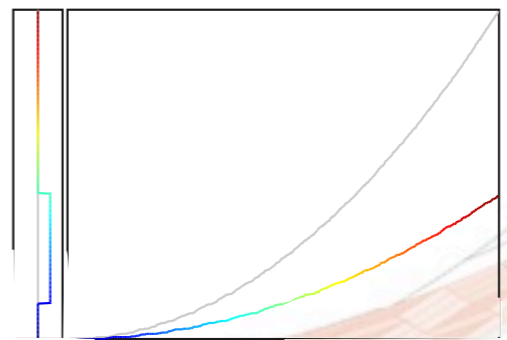


Manifold Harmonics Filters in real-time

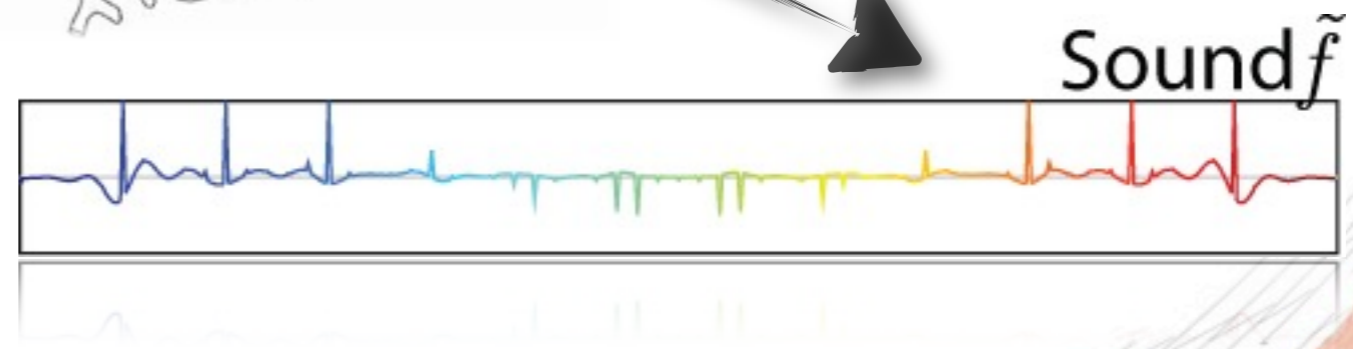
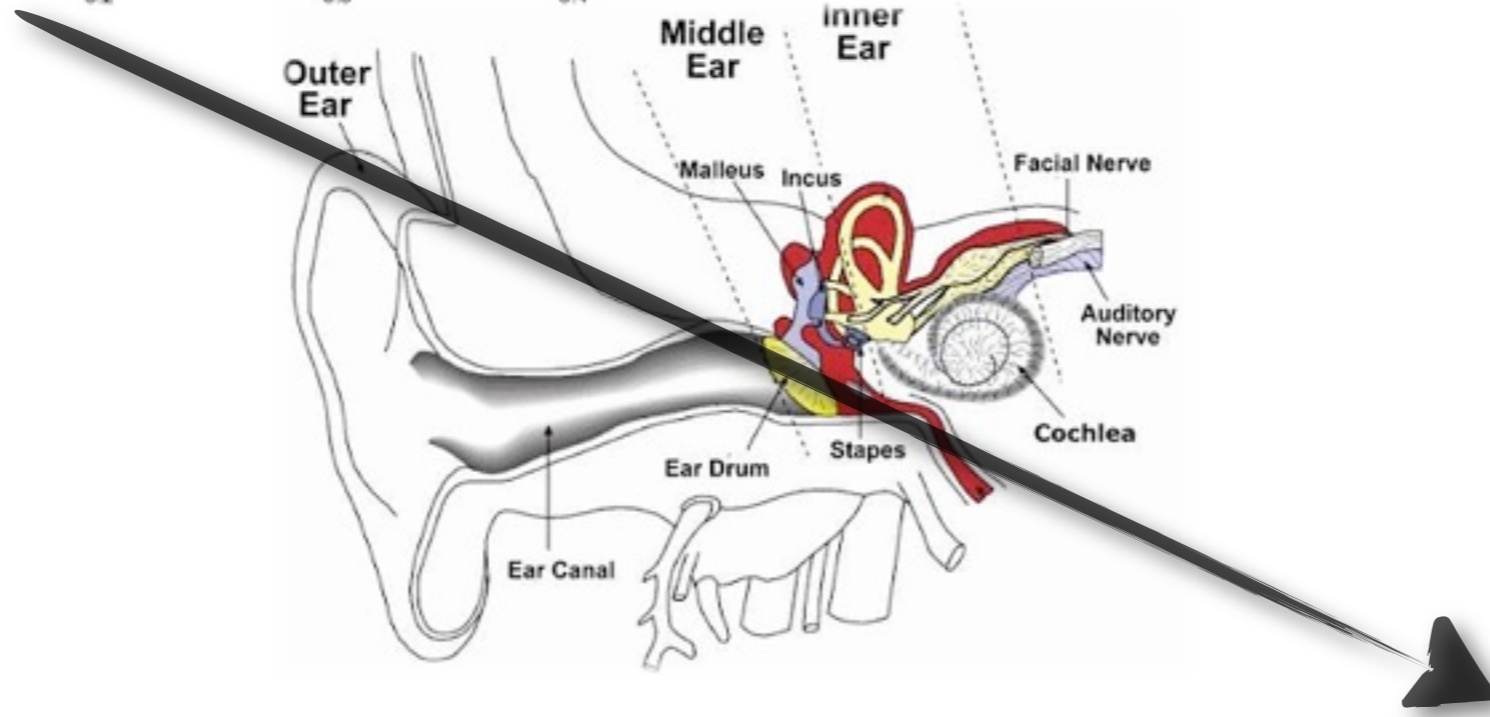
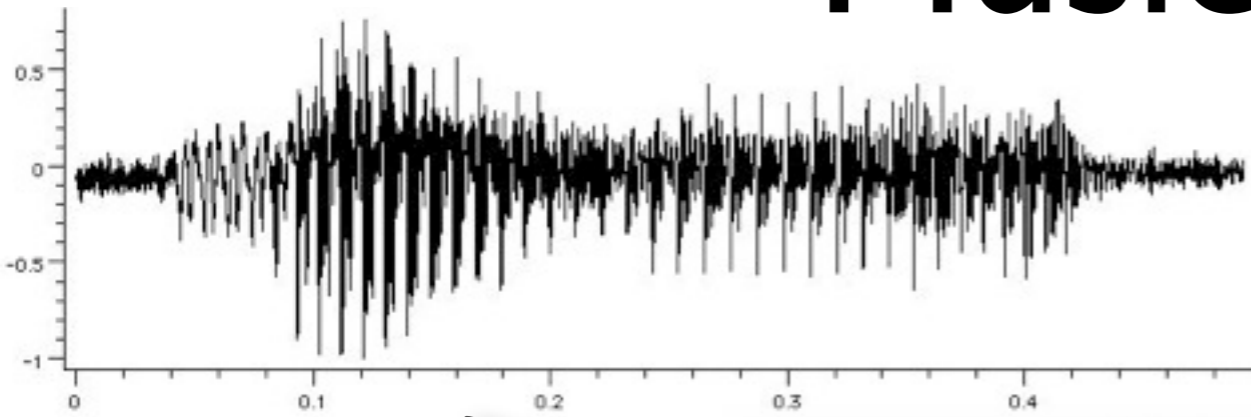
GPU implementation (Gallery x6)

Sound/Mesh transfer function design

Parameterization for gallery navigation

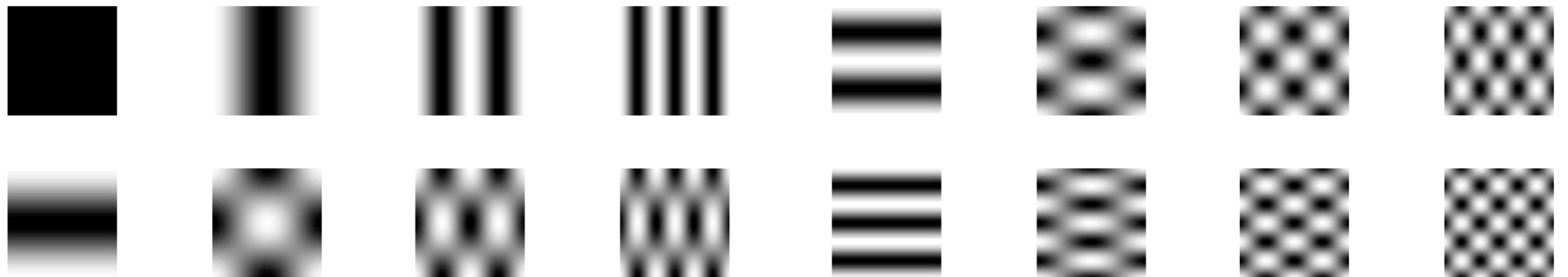


Music Analysis



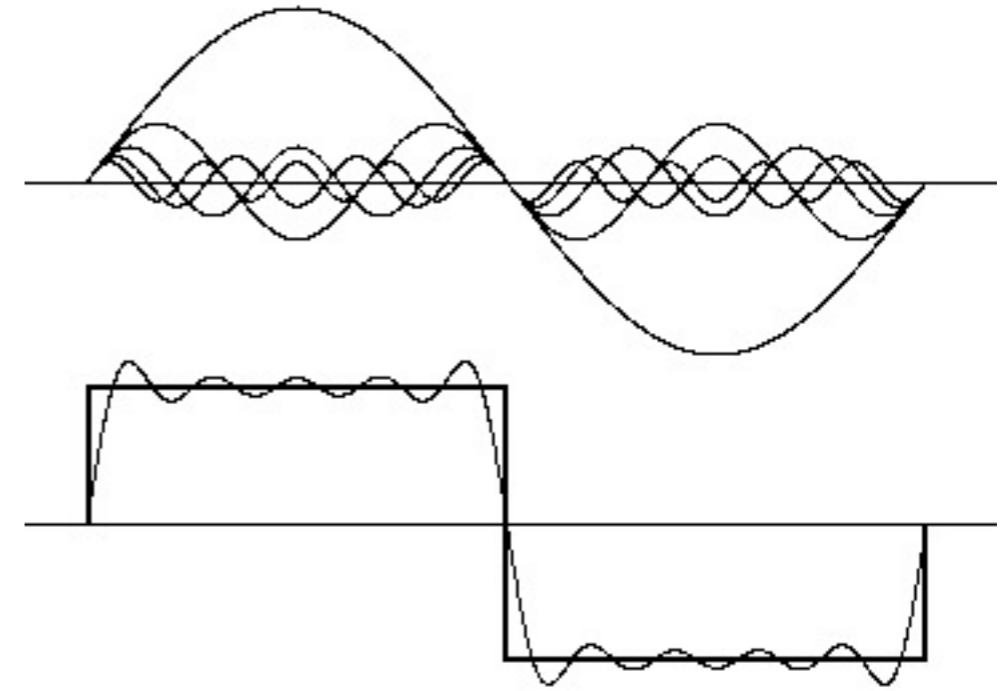
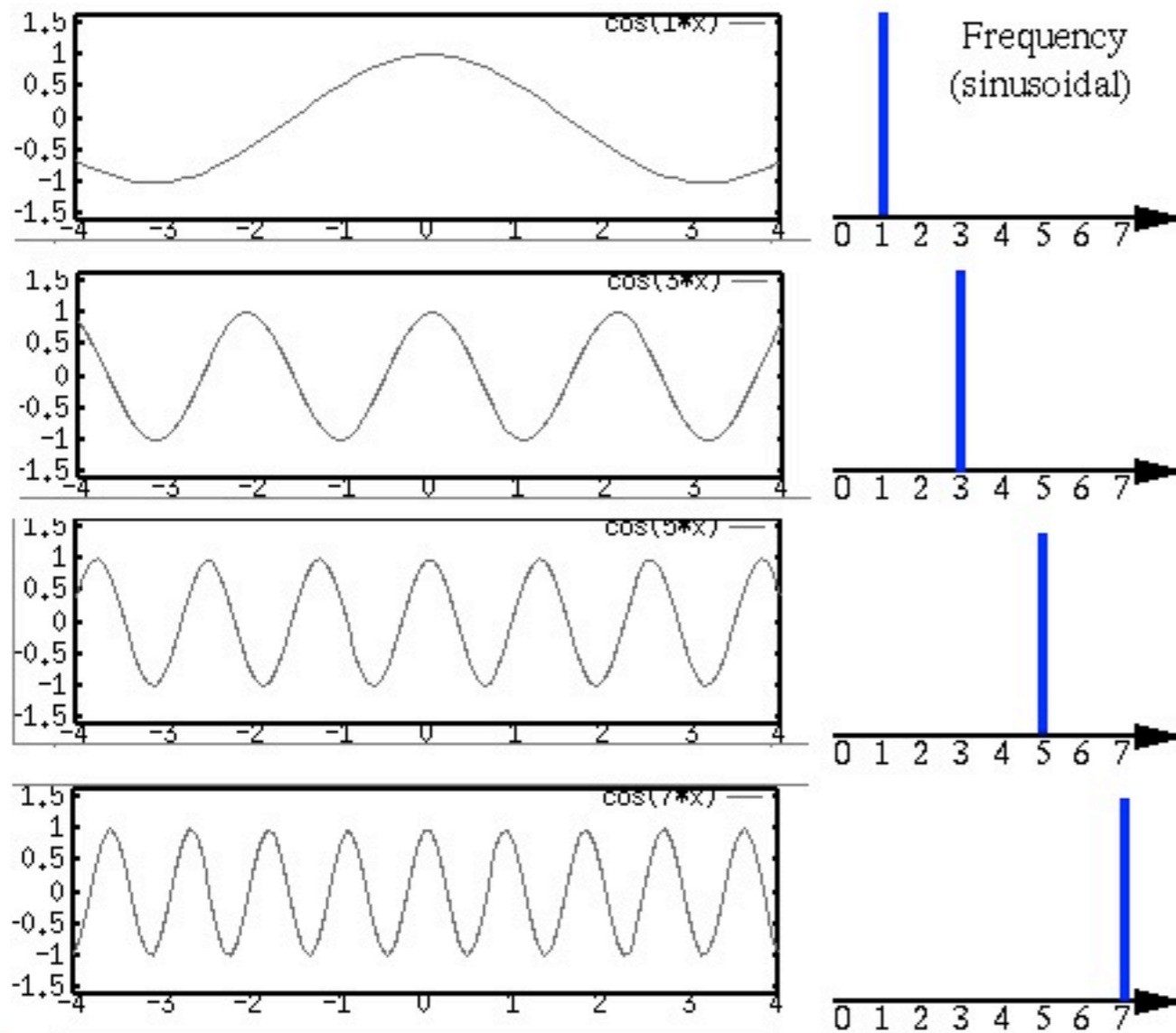
frequency (Fourier transform)

Fourier on meshes?



Manifold Harmonics (B. Vallet and B. Lévy, CGF 2008)

Harmonics Analysis



$$f(x) = \sum_{\omega} \hat{f}(\omega) \sin(\omega x)$$

Fourier = decomposition with sin & cos

Manifold Harmonics

Fourier = decomposition with sin & cos

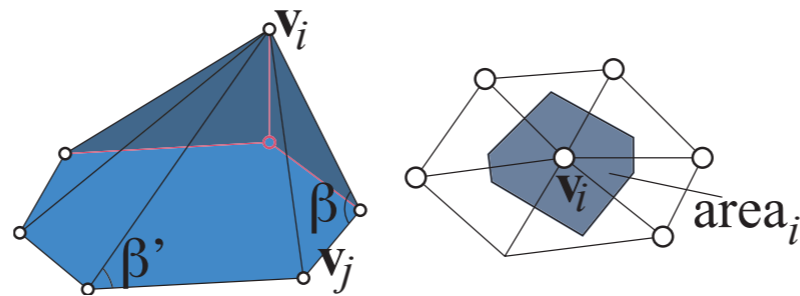
sin & cos: eigenvectors of $-\Delta = -\frac{\partial^2}{\partial x^2}$

$$f(x) = \sum_{\omega} \hat{f}(\omega)$$

Δ on a mesh is a matrix!

$$f(x) = \omega^2 \sin(\omega x)$$

one variable



$$f(v) = \sum_{\omega} \hat{f}(\omega)$$

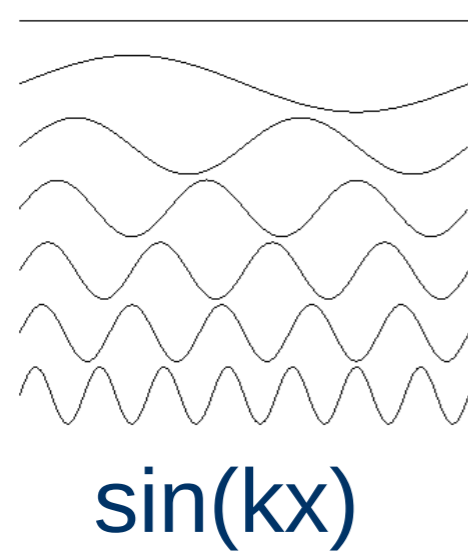
$$\Delta_{ij} = -\frac{\cot(\beta_{ij}) + \cot(\beta'_{ij})}{\sqrt{\text{area}_i \cdot \text{area}_j}}$$

$$f(v) = \lambda \mathbf{H}_{\lambda}(v)$$

mesh

$$\Delta_{ii} = -\sum_j \Delta_{ij}$$

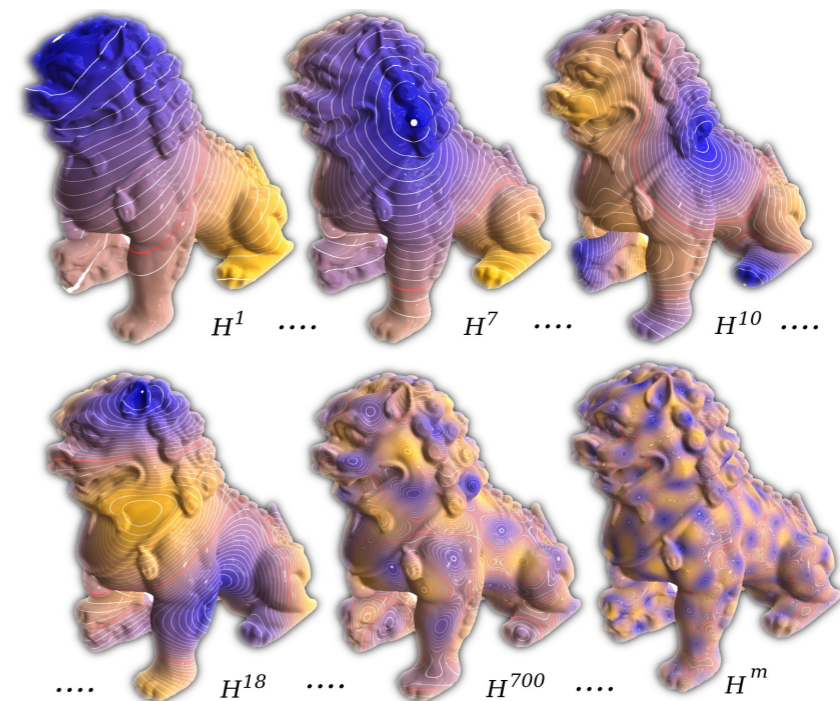
Manifold Harmonics



on



=



$$f(x) = \sum_{\omega} \hat{f}(\omega) \sin(\omega x)$$

$$f(v) = \sum_{\omega} \hat{f}(\omega) \mathbf{H}_{\sqrt{\omega}}(v)$$

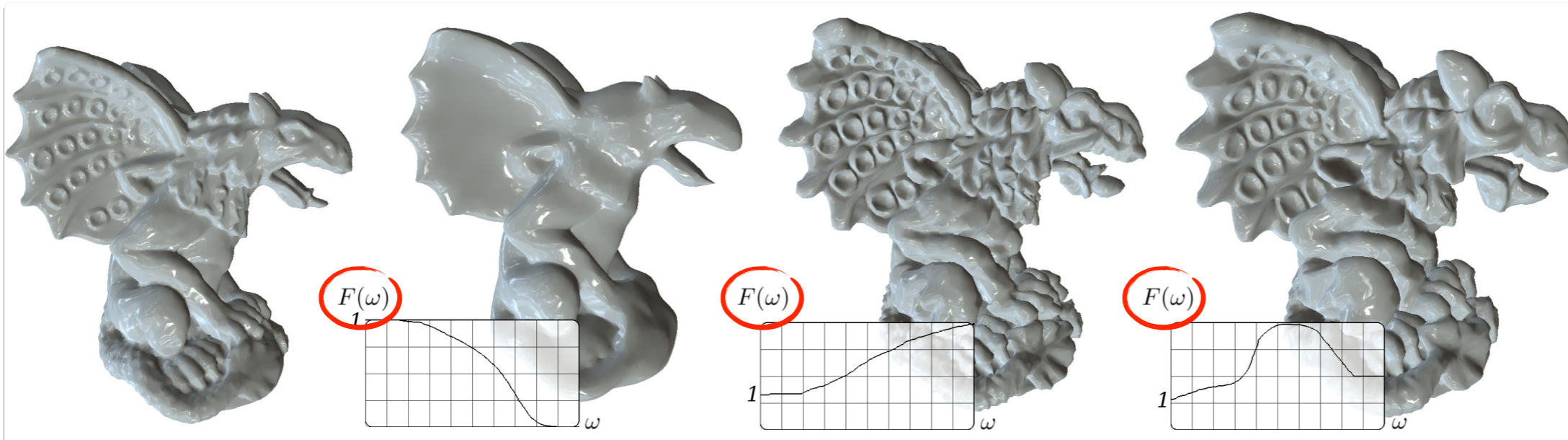
Harmonics Filters

$$f(x) = \sum_{\omega} \hat{f}(\omega) \sin(\omega x)$$



$$f(v) = \sum_{\omega} \hat{f}(\omega) \mathbf{H}_{\sqrt{\omega}}(v)$$

Manifold Harmonics Filters



Vallet, Lévy 2008

$$f(v) = v^x$$

$$f(v) = v^y$$

$$f(v) = v^z$$

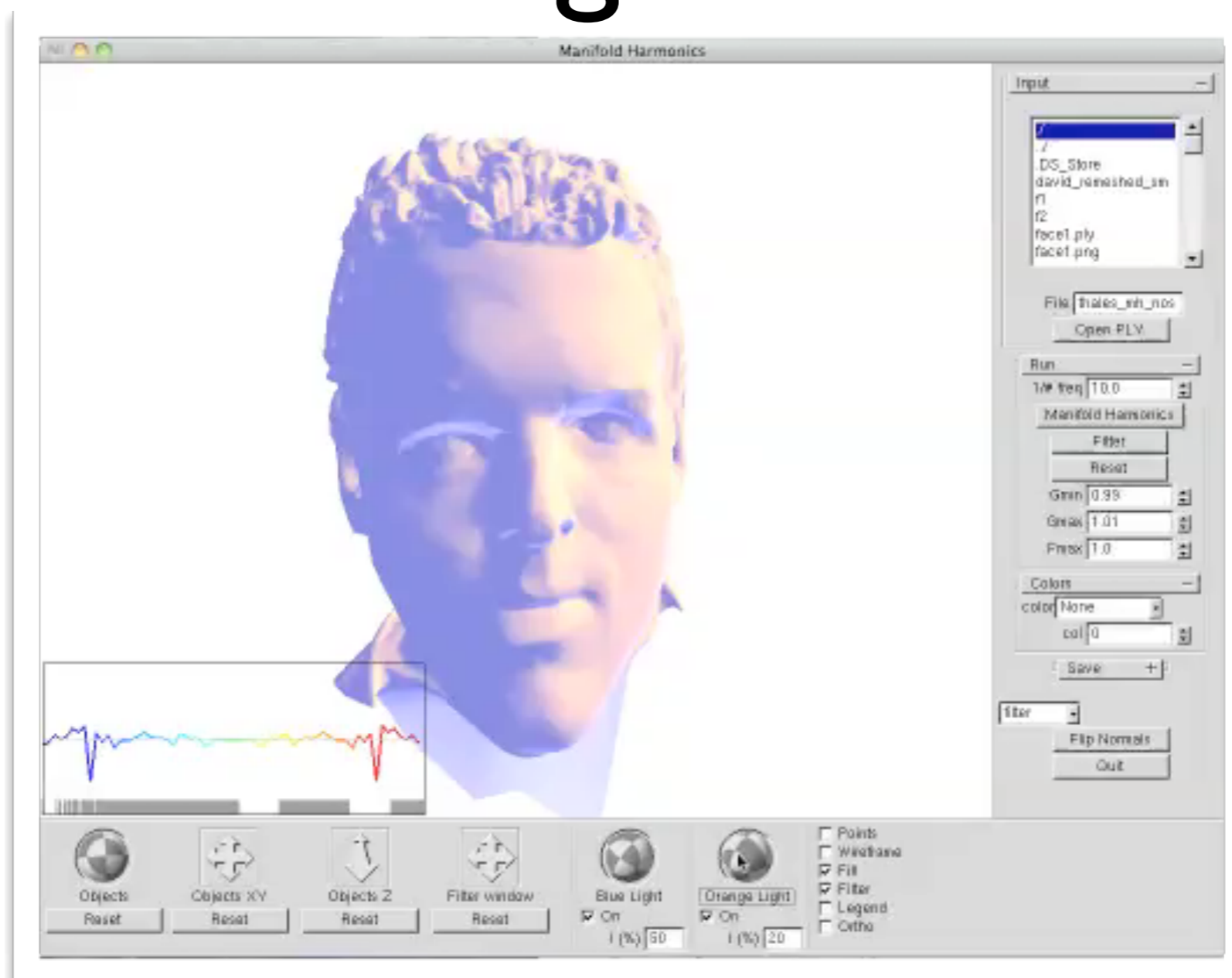
$$f(v) = \sum_{\omega} \hat{f}(\omega) \mathbf{H}_{\sqrt{\omega}}(v)$$

$$\hat{f}(\omega)$$

$$f(x) = \sum_{\omega} \hat{f}(\omega) \sin(\omega x)$$

$$\varphi(k) \cdot \begin{cases} \hat{x} \\ \hat{y} \\ \hat{z} \end{cases}$$

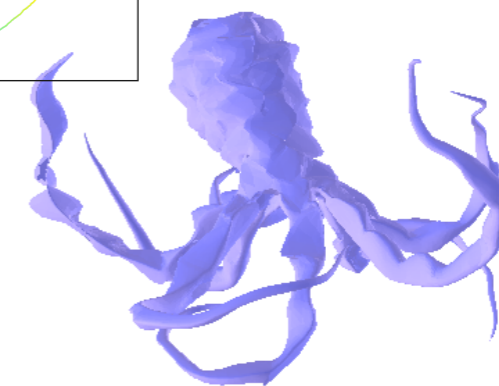
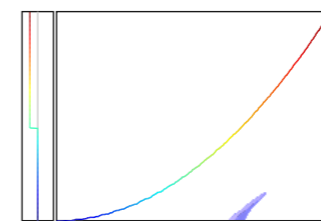
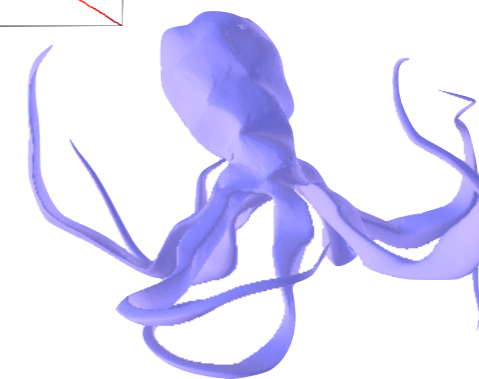
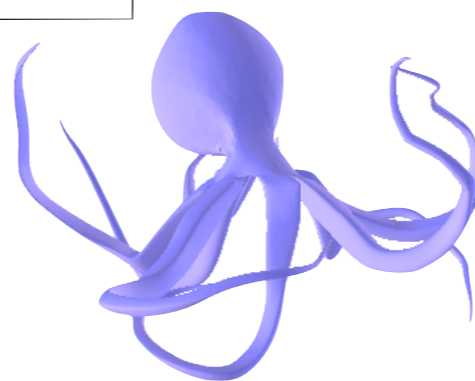
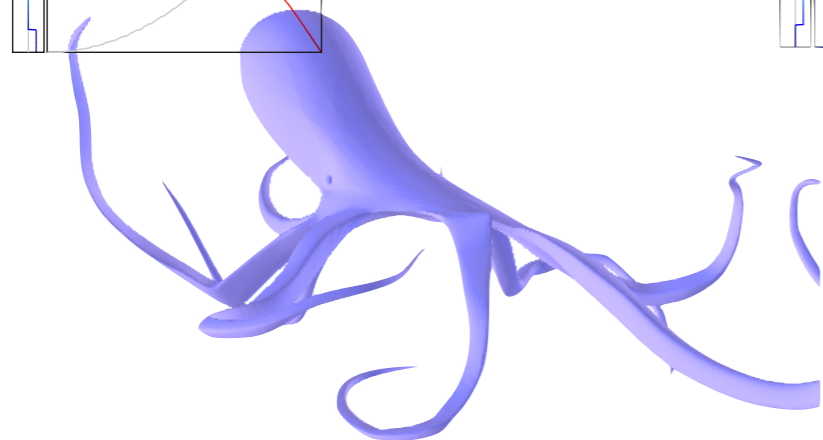
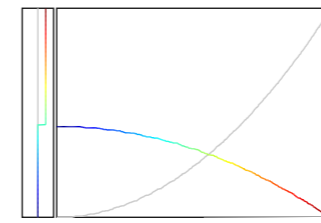
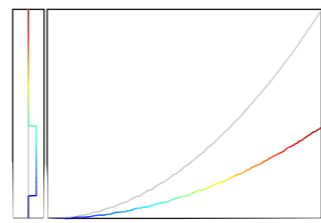
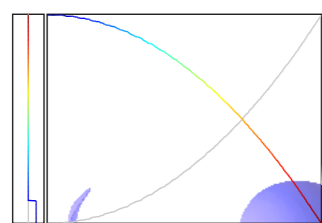
Tuning Filters



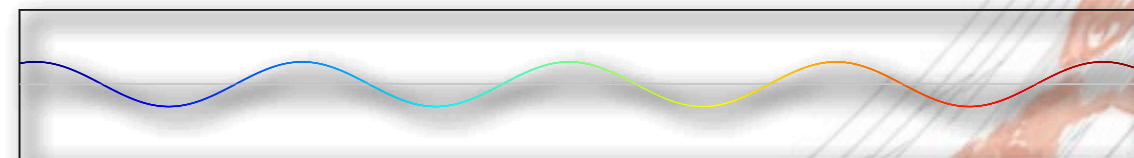
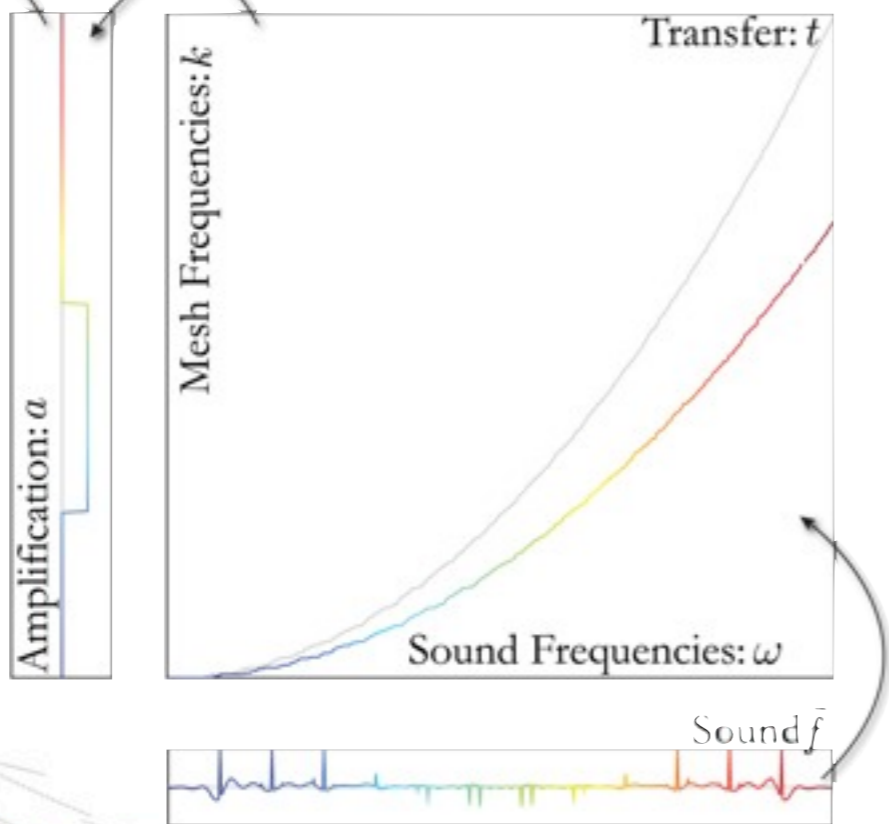
sound amplitudes \rightarrow filter

$$1 + \hat{f}(\omega) = \varphi(k)$$

Variations...



Deformed mesh

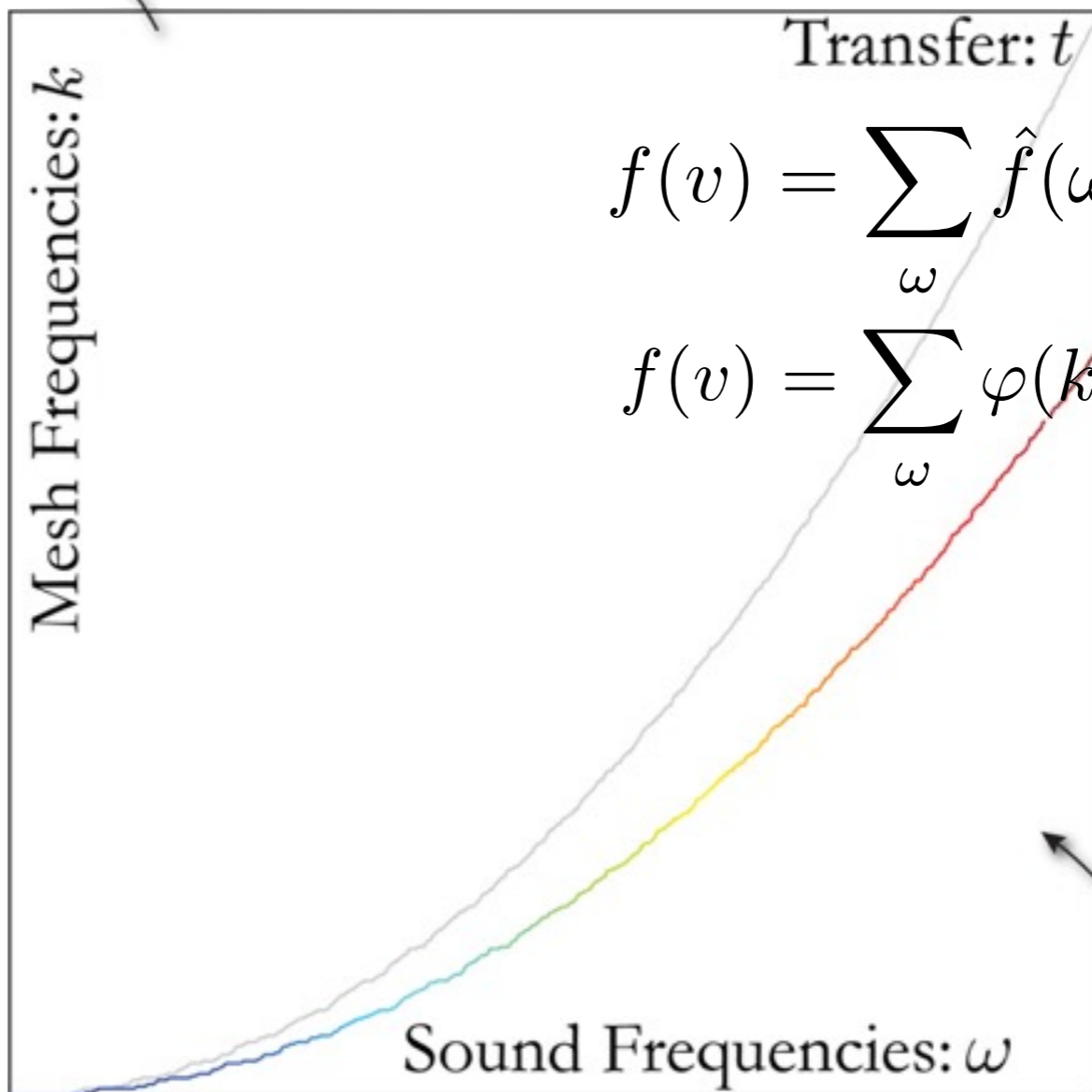


Sound/Mesh Transfer

$\varphi(k)$

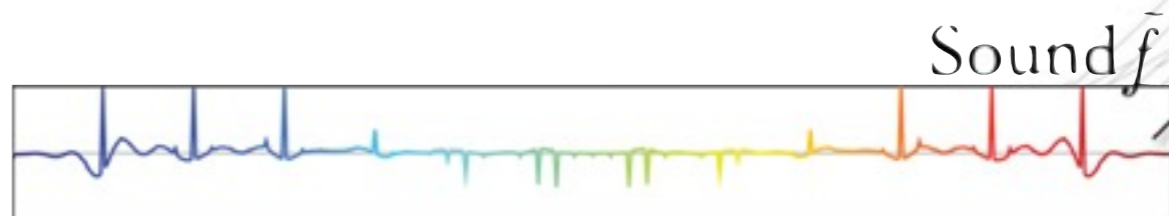


Deformed mesh



$$f(v) = \sum_{\omega} \hat{f}(\omega) \mathbf{H}_{\sqrt{\omega}}(v)$$

$$f(v) = \sum_{k} \varphi(k) \hat{x}(v) \mathbf{H}_k(v)$$



$\hat{f}(\omega)$

Sound/Mesh Transfer

 $\varphi(k)$

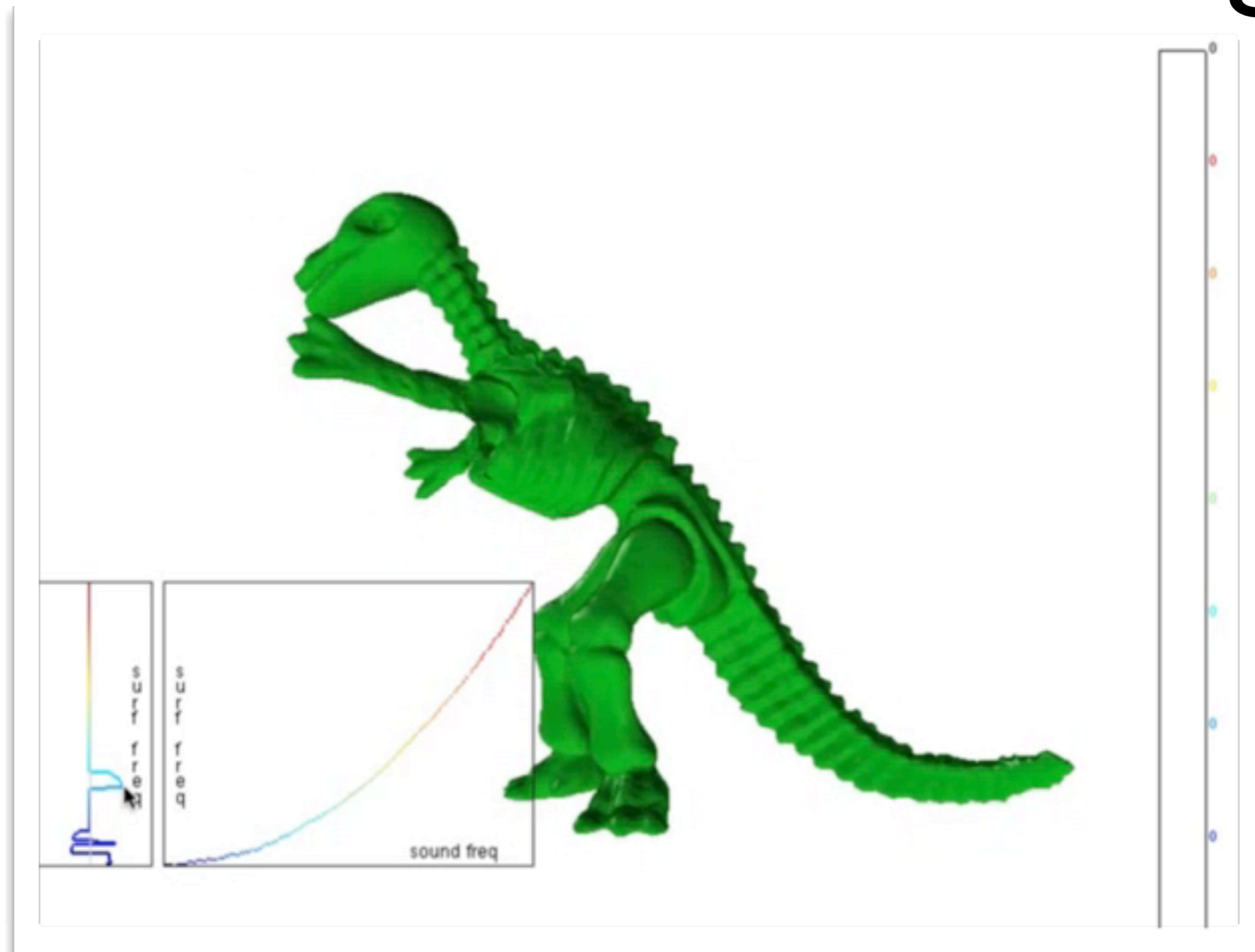
$$\varphi(k) = a(k) \cdot \left(\sum_{\omega \in t^{-1}(\{k\})} \hat{f}(\omega) \right) + 1$$

$$\varphi(k) = \sum_{\omega \in t^{-1}(\{k\})} \hat{f}(\omega)$$

 k

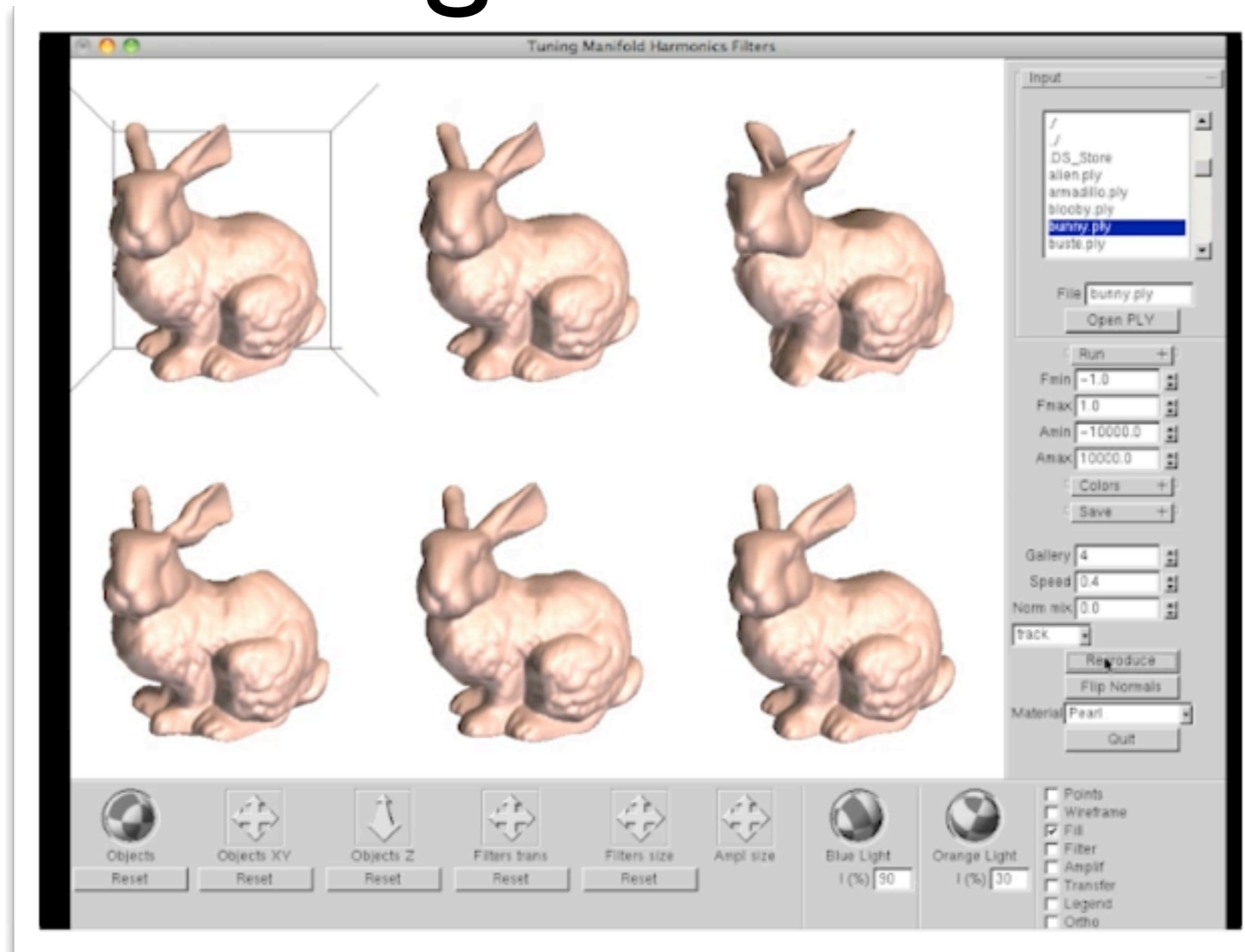
 $\hat{f}(\omega)$

Direct Transfer Editing



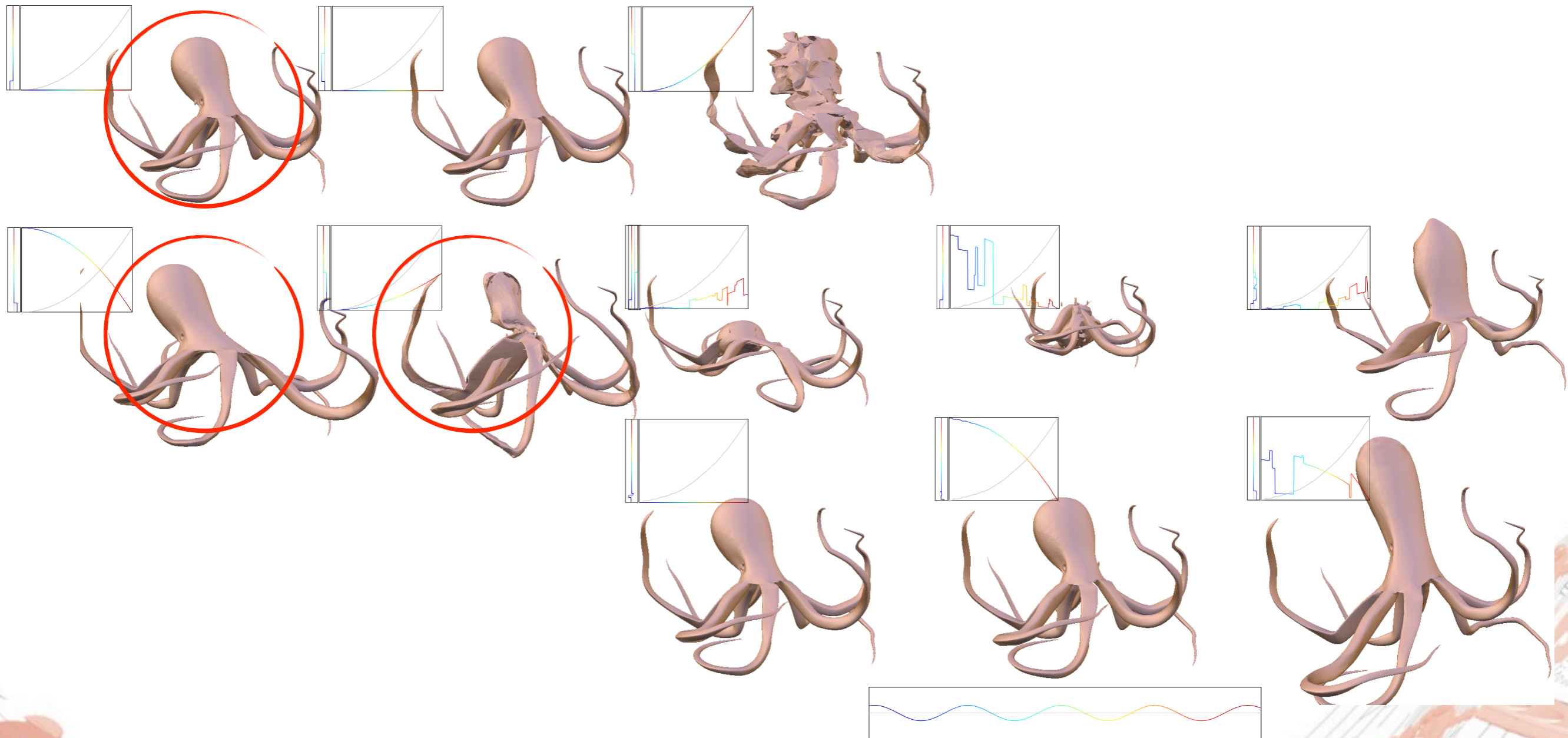
composition of $t(\omega)$ and $a(k)$

Design Galleries



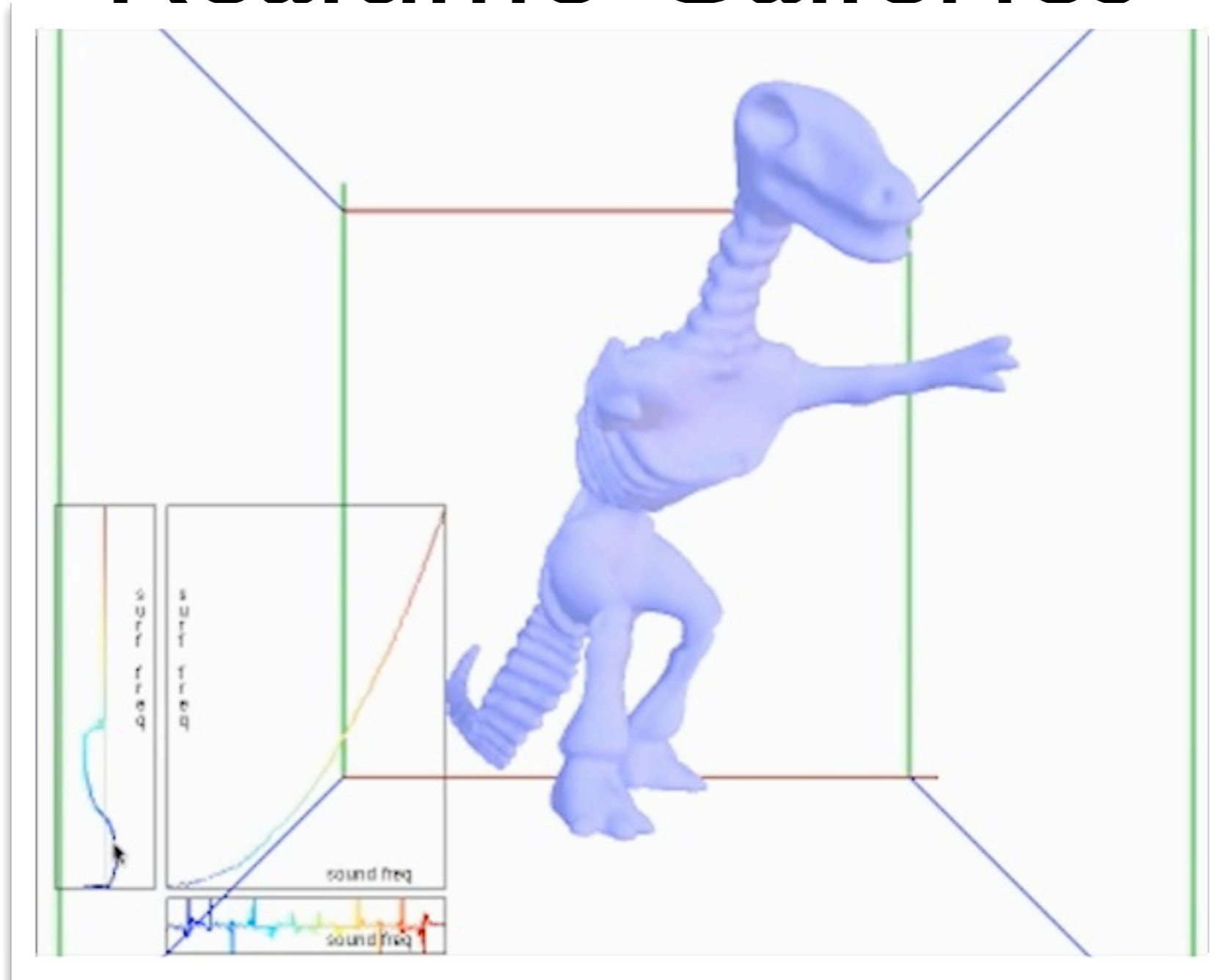
let the user choose!

Gallery Reproduction



independent linear combinations of $t(\omega)$ and $a(k)$

Realtme Galleries



several filters in realtime!

independent a and $t \rightarrow$ less items

GPU Implementation

Pre-processing

Manifold Harmonics Basis computation

Laplacian on *CPU* \rightarrow texture H_k

Manifold Harmonics decomposition

x, y, z scalars on *CPU* \rightarrow texture x, y, z

Remainder (high frequencies)

d vectors on *CPU* \rightarrow texture d

Filter

Transfer function

CPU \rightarrow texture φ

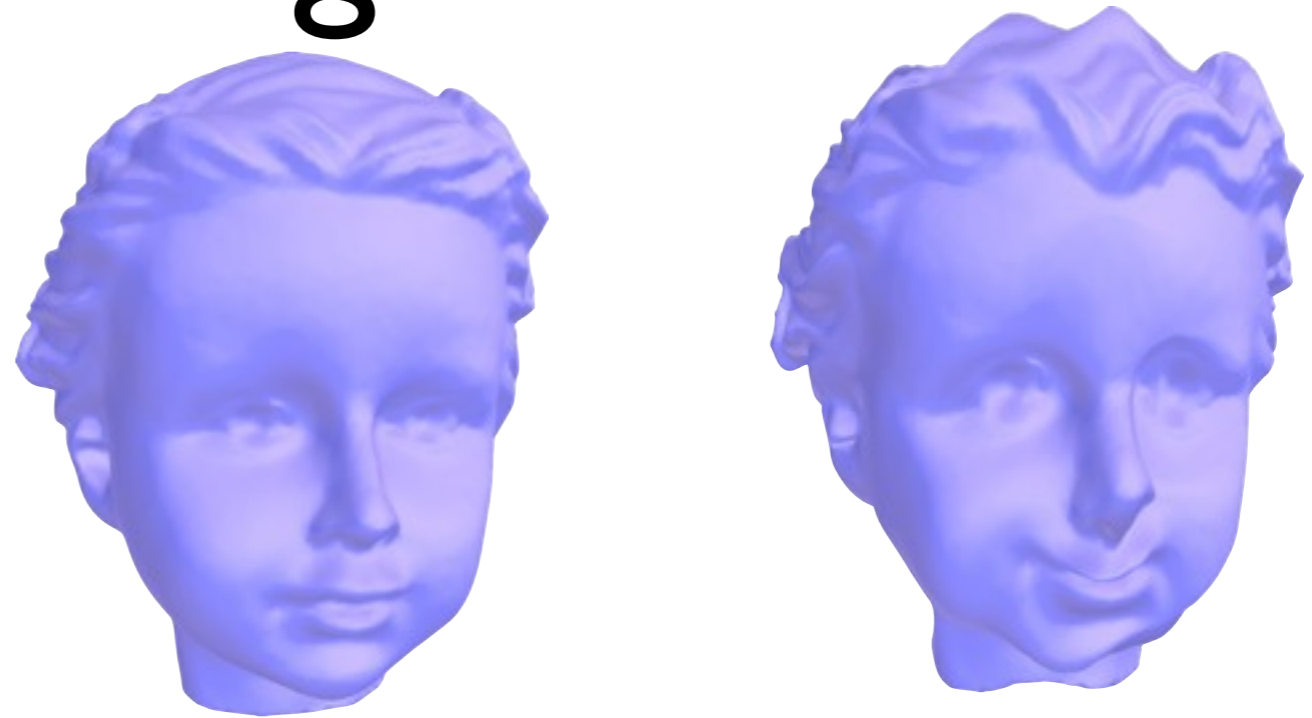
Fragment program + render to vb

```
uniform sampler1D x̃ỹz̃;  
uniform sampler2D dxyz;  
uniform sampler3D Hk;  
uniform sampler1D φ;  
uniform float δk;  
  
void main() {  
    vec3 texcoord = gl_TexCoord[0].stp ;  
    vec3 pos = texture2D(dxyz,texcoord.st).xyz ;  
    for( float k=0.0; k ≤ 1.0; ) {  
        texcoord.p = k ;  
        vec4 H = texture3D(Hk, texcoord);  
        vec4 f = texture1D(φ, k);  
        vec3 x̃ỹz̃0 = texture1D(x̃ỹz̃, k).xyz ; k += δk ;  
        vec3 x̃ỹz̃1 = texture1D(x̃ỹz̃, k).xyz ; k += δk ;  
        vec3 x̃ỹz̃2 = texture1D(x̃ỹz̃, k).xyz ; k += δk ;  
        vec3 x̃ỹz̃3 = texture1D(x̃ỹz̃, k).xyz ; k += δk ;  
        pos += f[0] * H[0] * x̃ỹz̃0 + f[1] * H[1] * x̃ỹz̃1 +  
            f[2] * H[2] * x̃ỹz̃2 + f[3] * H[3] * x̃ỹz̃3 ;  
    }  
    gl_FragColor.rgb = pos.xyz ;  
}
```

GLSL (portability)

Textures coordinates: $(x, y) \rightarrow$ vertex index, $z \rightarrow$ k index.

Rendering Effects



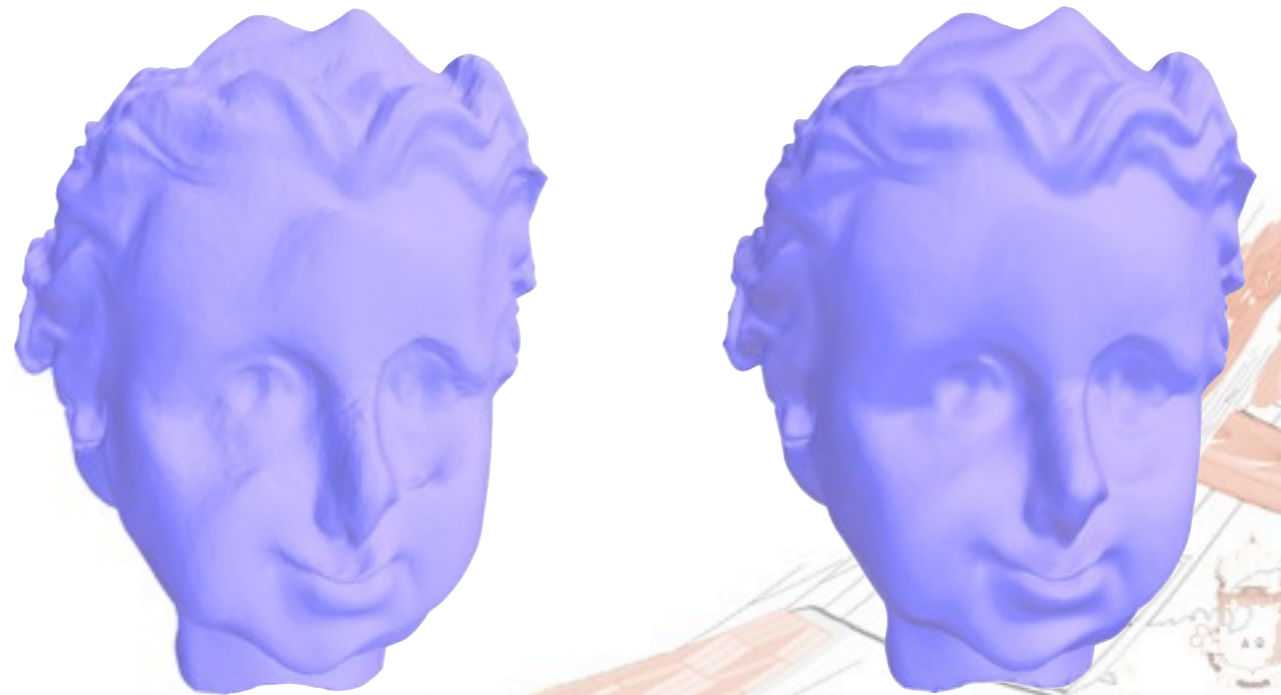
Normal enhancement

Size-independent
transfer function

original N

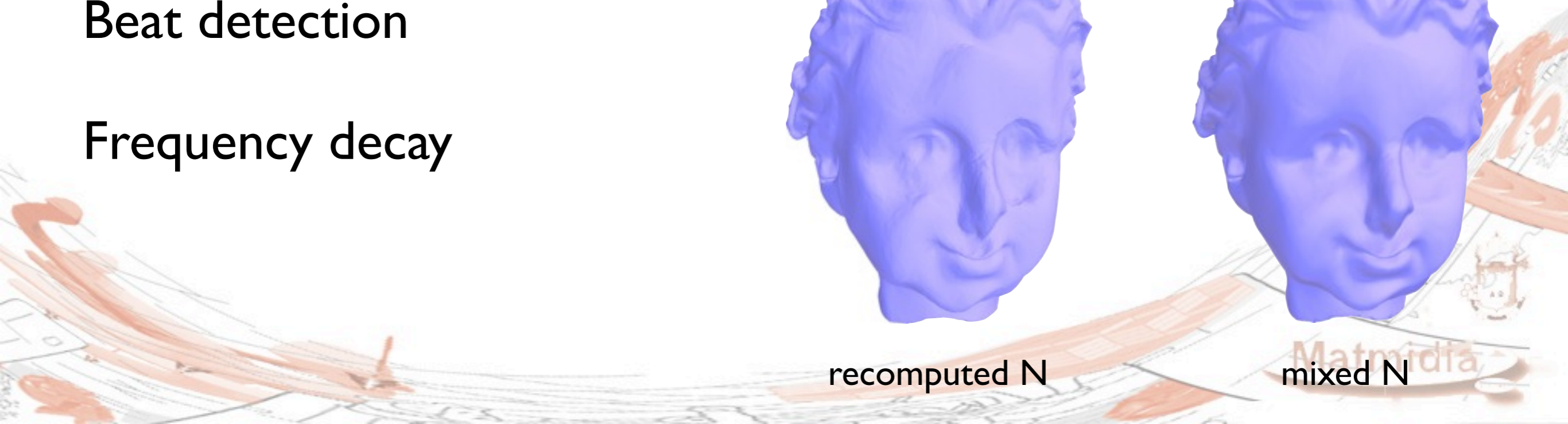
Beat detection

Frequency decay

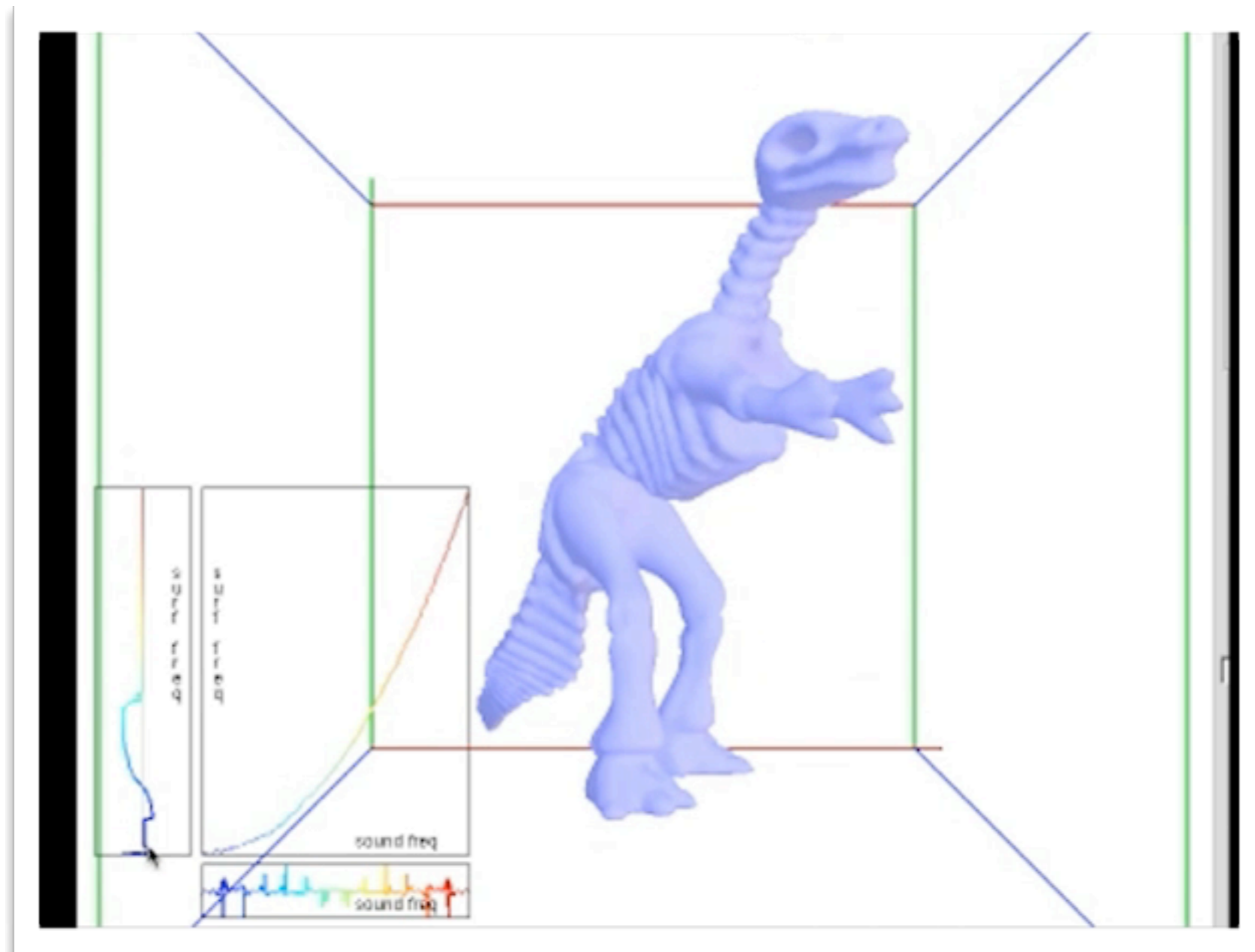


recomputed N

mixed N



Results



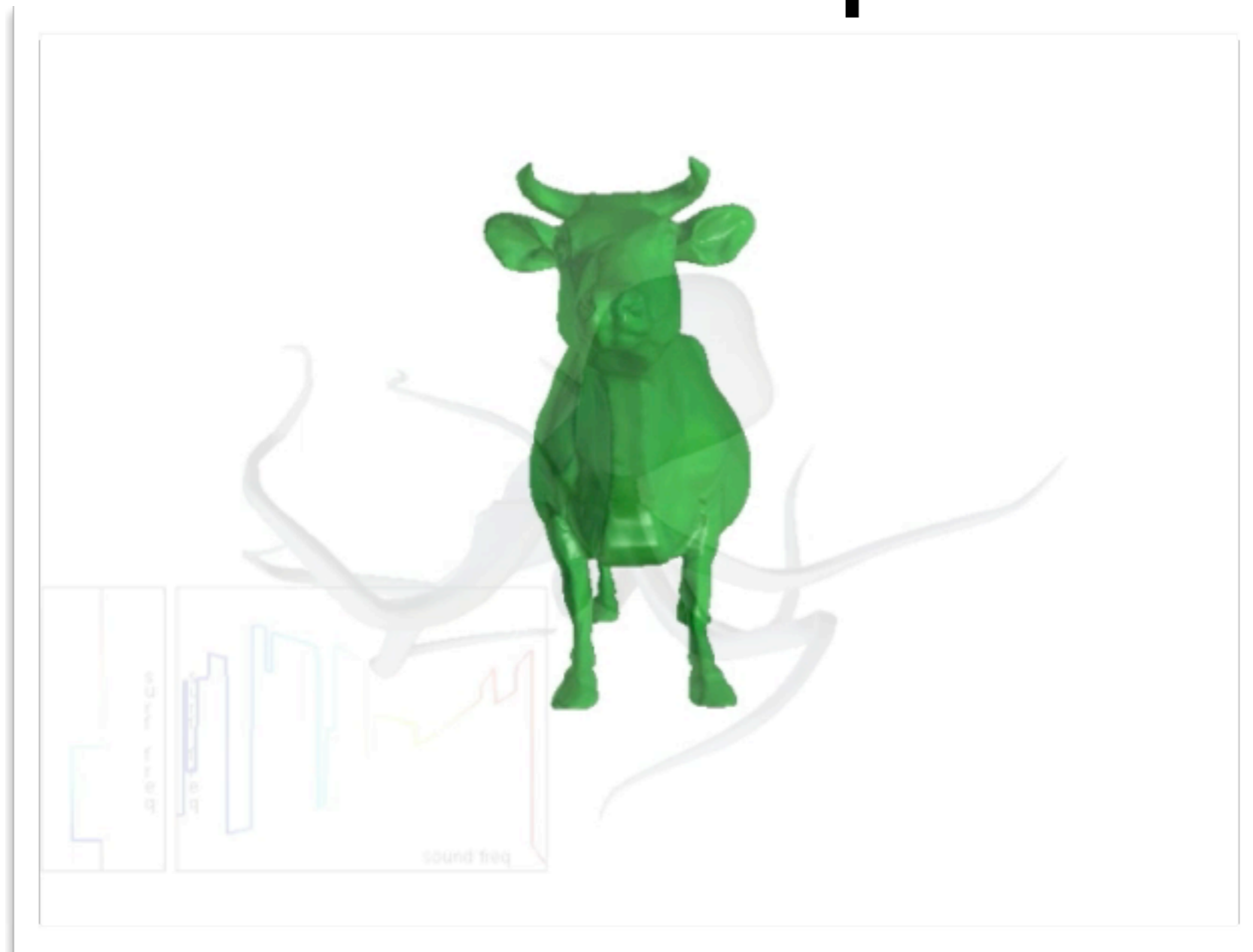
synchronized 3d animation

Limitations



Harmonic deformation (preserves texture, but...)
Current GPU's allow 6 to 9 items in a simple gallery
Very raw sound analysis

Next Steps



Use of tessellation shader or Nvidia-specific CUDA?
Better music analysis / camera & lighting control

SIBGRAPI 2011

XXIV Conference on Graphics, Patterns and Images

Maceió - Alagoas - Brazil

August 28th to 31st, 2011

Tutorials
Technical Papers
Technical Posters
Undergraduate Work
Theses and Dissertations
Petroleum
Graphics Processing Education
Video Festival

www.im.ufal.br/evento/sibgrapi2011

Organization



Instituto de Matemática
UFAL

Promotion



Sociedade Brasileira
de Computação

Cooperation



Eurographics

SIBGRAPI 2011

XXIV Conference on Graphics, Patterns and Images

The XXIV Conference on Graphics, Patterns and Images, Sibgrapi 2011, will be held in the beautiful Maceió, Alagoas, Brazil, between August 28th and 31st. Sibgrapi 2011 is being organized by the Institute of Mathematics of the Universidade Federal de Alagoas (UFAL).

SIBGRAPI started in 1988 and is the most important Brazilian Meeting in Computer Graphics, Image Processing and Computer Vision. It is annually promoted by the Sociedade Brasileira de Computação (SBC). The Sibgrapi proceedings are available on-line at IEEE Xplore since 1997 and have also been published by IEEE Computer Society Press. Since 2009, Sibgrapi further cooperates with Eurographics Association.

We cordially invite you to submit your work to Sibgrapi 2011 and join us in the conference.

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Thank you for your attention!

<http://www.matmidia.org/tomlew>

<http://www.matmidia.org/research/2010/563/>

<http://www.youtube.com/watch?v=Gf-vgo2BI2A>

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PUC-Rio / Research Grant
The many authors...



Matmidia



Chair: questions?